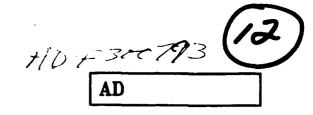


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TECHNICAL REPORT BRL-TR-2742

SUPERSONIC FLOW OVER CYLINDRICAL AFTERBODIES WITH BASE BLEED

Jubaraj Sahu

June 1986



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19 ABSTRACT (Continue on reverse if necessary and identify by block number) Computations of supersonic flow over two cylindrical afterbodies have been made using a thin-layer Navier-Stokes base flow code. The capability to compute the base flow with base bleed at supersonic speeds has been developed and used to show the effect of mass injection on the base pressure or base drag. Solutions have been obtained for a projectile and a missile configuration having cylindrical after-bodies. Numerical results show the effect of base bleed on the near wake flow field. The rise in base pressure or reduction in base drag has been clearly predicted for various mass injection rates and comparison with experimental data shows generally good agreement.							
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TABLE OF CONTENTS

		Page
	LIST OF ILLUSTRATIONS	٧
I.	INTRODUCTION	1
II.	COMPUTATIONAL TECHNIQUE	3
III.	BOUNDARY CONDITIONS	5
IV.	RESULTS	7
٧.	CONCLUDING REMARKS	9
	REFERENCES	21
	DISTRIBUTION LIST	23



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LIST OF ILLUSTRATIONS

Figure	•	Page
1	Schematic Illustration of Base Flow with Base Bleed	10
2	Base Pressure vs Mass Flow Rate of Injection	10
3	Adapted Grid in the Base Region, $M_{\infty} = 2.5$	11
4	Velocity Vectors in the Base Region, $M_{\infty} = 2.5$, $\alpha = 0$, $I = 0$	12
5	Velocity Vectors in the Base Region, $M_{\infty} = 2.5$, $\alpha = 0$, $I = .01$	13
6	Velocity Vectors in the Base Region, $M_{\infty} = 2.5$, $\alpha = 0$, $I = .02$	14
7 a	Longitudinal Pressure Distribution, $M_{\infty} = 2.5$, $\alpha = 0$, $I = 0$	15
7b	Longitudinal Pressure Distribution, $M_{\infty} = 2.5$, $\alpha = 0$, $I = .01$	16
7 c	Longitudinal Pressure Distribution, $M_{\infty} = 2.5$, $\alpha = 0$, $I = .02$	17
8	Base Drag vs Mass Injection Parameter, $M_{\infty} = 1.7$, $\alpha = 0$	18
9	Base Drag vs Mass Injection Parameter, $M_{\infty} = 2.5$, $\alpha = 0$	18
10	Adapted Grid in the Base Region for RARDE Case, $M_{\infty} = 1.88$, $\alpha = 0$	19
11	Base Pressure vs Mass Injection Parameter, $M_{\infty} = 1.88$, $\alpha = 0$	20
12	Base Pressure vs Mass Injection Parameter, $M_m = 2.48$, $\alpha = 0$	20

I. INTRODUCTION

One of the most important aerodynamic performance characteristics for shell is the total drag. The total drag for projectiles can be divided into three components: (1) pressure drag (excluding the base), (2) viscous (skin friction) drag, and (3) base drag. The base drag is a major contributor to the total drag and can be as much as 50-60% of the total drag. It is, thus, important to minimize this part of the drag.

An effective means of reducing the base drag is by base bleed. In this method, a relatively small quantity of low velocity gas is injected into the dead air region immediately behind the base. This changes the structure of the flow field in the base region (See Figure 1) which results in an increase in the base pressure or reduction in the base drag. As mass flow rate of gas injected into the base region is increased from zero, the base pressure first increases (See Figure 2) until a maximum is reached. With further increase in mass injection, the base pressure falls to a minimum and then rises again. The 'base bleed' region is the first part of this curve up to the maximum which corresponds to very small rates of gas injection (of the order of a few percent).

The drag reduction due to base bleed at supersonic speeds is of practical importance. The concept of mass injection at the base has received considerable interest in the past and an excellent review is reported by Murthy et As reported in Reference 1, there is a lack of detailed experimental measurements of the base flow phenomena with or without mass injection. Supersonic flow over cylindrical afterbodies with gas injection has been experimentally studied by Bowman and Clayden. 2 Their results showed the effect of mass injection on the base pressure for a range of Mach numbers between 1.5For low Mach numbers (M \approx 1.5), an increase in base pressure was obtained with increasing mass flow rate of gas injection. For higher Mach numbers, the typical pattern of the effect of gas injection on the base pressure shown in Figure 2 was obtained. The effect of heating the injected gas results in a further but relatively small increase in base pressure or decrease in base drag. 3 More recently, Schilling 4 performed an experimental study to investigate base bleed effect on cylindrical and boattailed afterbodies where primary emphasis was to assess the effect of the tail fins on the

^{1.} Murthy, S.N.B., (Ed.), Progress in Astronautics and Aeronautics: Aerodynamics of Base Combustion, Vol. 40, AIAA, New York, 1976.

^{2.} Bowman, J.E. and Clayden, W.A., "Cylindrical Afterbodies in Supersonic Flow with Gas Ejection," AIAA Journal, Vol. 5, No. 8, August 1967, pp. 1524-1525.

^{3.} Clayden, W.A. and Bowman, J.E., "Cylindrical Afterbodies at $M_{\infty}=2$ with Hot Gas Ejection," <u>AIAA Journal</u>, Vol. 6, No. 12, December 1968, pp. 2429-2431.

^{4.} Schilling, H. "Experimental Investigation on the Base-Bleed-Effect for Body-Tail-Combinations," Proceedings of the 8th International Symposium on Ballistics, Amsterdam, Holland, 1984.

effectiveness of base bleed. These experiments showed a strong interaction between the fins and the base region flow and the negative effect it has on the base drag reduction. Ouestions regarding the difference between hot gas injection and cold gas injection, the effect of base bleed on stability characteristics, the effect of spin on the base bleed effect and base combustion still remain to be answered. Very few semi-empirical methods are available to predict the reduction in base drag due to base bleed. One such method has been developed by Hellgren⁵ in Sweden. An attempt has been made in this method to take into account the variation of burning conditions in the base bleed motor. Uncertainty in the base drag coefficient and also in the effect of spin on the burning base bleed propellant exists in this method. application of sophisticated computational techniques to the practical base bleed problem is in its infancy. Limited computational work has been reported by Sullins et al⁶ which dealt with the numerical computation of base region flow with parallel gas injection using two-dimensional Navier-Stokes equations. Recently, a new numerical capability has been developed by Sahu et al⁷ to compute the base region flow using Azimuthal-Invariant thin-layer Navier-Stokes equations. Since the entire projectile flow field was computed, it was possible to obtain the total drag at transonic speeds. An attempt was also made to include the base injection at transonic speeds using crude base boundary conditions although the primary interest of the base bleed concept is in the supersonic speed regime.

This paper describes a computational investigation of the effect of centered base bleed on the base region flow field and on the base pressure at supersonic speeds using basically the same numerical procedure of Reference 7. A new interactive base bleed boundary condition procedure has been developed to determine the bleed exit boundary conditions. The resulting numerical capability is used to compute supersonic flow over two axisymmetric cylindrical afterbodies with gas injection and the computed results are compared to experiment. This is a first step towards obtaining a capability to predict the effect of base bleed (including combustion in the base region) on the aerodynamics of Army projectiles.

CONTROL CONTRO

^{5.} Hellgren, R.V., "Range Calculation for Base Bleed Propellants," Proceedings of the 6th International Symposium on Ballistics, Orlando, Florida, 1981.

^{6.} Sullins, G.A., Anderson, J.D., and Drummond, J.P., "Numerical Investigation of Supersonic Base Flow with Parallel Injection," AIAA Paper No. 82-1001, June 1982.

^{7.} Sahu, J., Nietubicz, C.J., and Steger, J.L., "Navier-Stokes Computations of Projectile Base Flow with and without Base Injection," US Army Ballistic Research Laboratory, Aberdeen Proving Ground, Maryland, ARBRL-TR-02532, November 1983. (AD A135738) (Also see AIAA Journal, Vol. 23, No. 9, September 1985, pp. 1348-1355)

II. COMPUTATIONAL TECHNIQUE

The Azimuthal Invariant (or Generalized Axisymmetric) thin-layer Navier-Stokes equations for general spatial coordinates ξ , η , ζ can be written as:

$$\partial_{\tau}\hat{q} + \partial_{\xi}\hat{E} + \partial_{\zeta}\hat{G} + \hat{H} = Re^{-1}\partial_{\zeta}\hat{S}$$
 (1)

where

 $\xi = \xi(x,y,z,t)$ is the longitudinal coordinate

 $\eta = \eta(y,z,t)$ is the circumferential coordinate

 $\zeta = \zeta(x,y,z,t)$ is the near normal coordinate

 τ = t is the time

and

$$\hat{\mathbf{q}} = \mathbf{J}^{-1} \begin{bmatrix} \rho \\ \rho \mathbf{u} \\ \rho \mathbf{v} \\ \rho \mathbf{w} \\ \mathbf{e} \end{bmatrix} , \quad \hat{\mathbf{E}} = \mathbf{J}^{-1} \begin{bmatrix} \rho \mathbf{U} \\ \rho \mathbf{u} \mathbf{U} + \boldsymbol{\xi}_{\mathbf{x}} \mathbf{p} \\ \rho \mathbf{v} \mathbf{U} + \boldsymbol{\xi}_{\mathbf{y}} \mathbf{p} \\ \rho \mathbf{w} \mathbf{U} + \boldsymbol{\xi}_{\mathbf{z}} \mathbf{p} \\ (\mathbf{e} + \mathbf{p}) \mathbf{U} - \boldsymbol{\xi}_{\mathbf{t}} \mathbf{p} \end{bmatrix} , \quad \hat{\mathbf{G}} = \mathbf{J}^{-1} \begin{bmatrix} \rho \mathbf{W} \\ \rho \mathbf{u} \mathbf{W} + \boldsymbol{\zeta}_{\mathbf{x}} \mathbf{p} \\ \rho \mathbf{v} \mathbf{W} + \boldsymbol{\zeta}_{\mathbf{y}} \mathbf{p} \\ \rho \mathbf{w} \mathbf{W} + \boldsymbol{\zeta}_{\mathbf{z}} \mathbf{p} \\ (\mathbf{e} + \mathbf{p}) \mathbf{W} - \boldsymbol{\zeta}_{\mathbf{t}} \mathbf{p} \end{bmatrix} ,$$

$$\hat{H} = J^{-1} \begin{bmatrix} 0 \\ 0 \\ \rho V[R_{\xi}(U-\xi_{t}) + R_{\zeta}(W-\xi_{t})] \\ -\rho VR(V-\eta_{t}) - \rho/R) \\ 0 \end{bmatrix}$$

^{8.} Nietubicz, C.J., Pulliam, T.H., and Steger, J.L., "Numerical Solution of the Azimuthal-Invariant Navier-Stokes Equations," US Army Ballistic Research Laboratory, Aberdeen Proving Ground, Maryland, ARBLR-TR-02227, March 1980. (AD A085716) (Also see AIAA Journal, Vol. 18, No. 12, December 1980, pp. 1411-1412)

$$\int_{\mu(\zeta_{x}^{2} + \zeta_{y}^{2} + \zeta_{z}^{2})u_{\zeta} + (\mu/3)(\zeta_{x}u_{\zeta} + \zeta_{y}v_{\zeta} + \zeta_{z}w_{\zeta})\zeta_{x}}$$

$$\mu(\zeta_{x}^{2} + \zeta_{y}^{2} + \zeta_{x}^{2})v_{\zeta} + (\mu/3)(\zeta_{x}u_{\zeta} + \zeta_{y}v_{\zeta} + \zeta_{z}w_{\zeta})\zeta_{y}$$

$$\hat{S} = \frac{\mu(\zeta_{x}^{2} + \zeta_{y}^{2} + \zeta_{z}^{2})w_{\zeta} + (\mu/3)(\zeta_{x}u_{\zeta} + \zeta_{y}v_{\zeta} + \zeta_{z}w_{\zeta})\zeta_{z}}{\{(\zeta_{x}^{2} + \zeta_{y}^{2} + \zeta_{y}^{2})[(\mu/2)(u^{2} + v^{2} + w^{2})_{\zeta} + \kappa Pr^{-1} (\gamma-1)^{-1}(a^{2})_{\zeta}] + (\mu/3)(\zeta_{x}u + \zeta_{y}v + \zeta_{z}w)(\zeta_{x}y_{\zeta} + \zeta_{y}v_{\zeta} + \zeta_{z}w_{\zeta})\}$$

The velocities

$$U = \xi_t + \xi_x u + \xi_y v + \xi_z w$$

$$V = \eta_t + \eta_x u + \eta_y v + \eta_z w$$

$$W = \zeta_t + \zeta_x u + \zeta_v v + \zeta_z w$$
(2)

represent the contravariant velocity components.

The Cartesian velocity components (u, v, w) are nondimensionalized with respect to a_{∞} (free stream speed of sound). The density (ρ) is referenced to ρ_{∞} and total energy (e) to $\rho_{\infty}a_{\infty}^2$. The local pressure is determined using the equation of state,

$$P = (Y - 1)[e - 0.5\rho(u^2 + V^2 + w^2)]$$
 (3)

where y is the ratio of specific heats.

In Equation (1), axisymmetric flow assumptions have been made which result in the source term, \hat{H} . The details of how this is obtained can be found in Reference (8) and are not discussed here. Equation (1) contains only two spatial derivatives. However, it retains all three momentum equations and allows a degree of generality over the standard axisymmetric equations. In particular, the circumferential velocity is not assumed to be zero thus allowing computations for spinning projectiles to be accomplished. This is especially important to study the effect of spin on the base bleed effect.

The numerical algorithm used is the Beam-Warming fully implicit, approximately factored finite difference scheme. The algorithm can be first or

second order accurate in time and second or fourth order accurate in space. Since the interest is only in the steady-state solution, Equation (1) is solved in an asymptotic fashion and first order accurate time differencing is used. The spatial accuracy is fourth order. Details of the algorithm are included in References 9-11.

To suppress high frequency components that appear in regions containing severe pressure gradients e.g., shocks or stagnation points, artificial dissipation terms are added. In the present application, a switching dissipation model is used which is a blend of second and fourth order dissipation terms. This is similiar to the model used by Pulliam 12 and uses a fourth order dissipation in smooth regions and switches to a second order dissipation in regions containing high pressure or density gradients. Incorporation of this dissipation model has resulted in the improvement of the quality of the results and has made the code more robust.

The numerical code used computes the full flow field over a projectile or a missile including the base region using a unique flow field segmentation procedure. An important advantage of this procedure lies in the preservation of the sharp corner at the base. The details of these can be found in Reference 7. For the computation of turbulent base flows, the two-layer algebraic Baldwin-Lomax turbulence model¹³ is used. Higher order two-equation or more sophisticated turbulence models need to be considered for such flows in future.

III. BOUNDARY CONDITIONS

The no slip boundary condition for viscous flow is enforced by setting the contravariant velocities to zero i.e., V=V=W=0 on the body surface. Inviscid boundary conditions are used at the base for the case of no gas injection. The pressure on the body surface is obtained by solving a combined momentum equation and density is extrapolated. First order extrapolation is used for both pressure and density at the base. Along the computational cut, the flow variables above and below are averaged to determine the conditions on

^{9.} Steger, J.L., "Implicit Finite Difference Simulation of Flow About Arbitrary Geometries with Application to Airfoils," AIAA Journal, Vol. 16, No. 4, July 1978, pp. 679-686.

^{10.} Pulliam, T.H. and Steger, J.L., "On Implicit Finite-Difference Simulations of Three-Dimensional Flow," AIAA Journal, Vol. 18, No. 2, February 1980, pp. 159-167.

^{11.} Beam, R. and Warming, R.F., "An Implicit Factored Scheme for the Compressible Navier-Stokes Equations," AIAA Paper No. 77-645, June 1977.

^{12.} Pulliam, T.H., "Artificial Dissipation Models for the Euler Equations," AIAA Paper No. 85-0438, January 1985.

^{13.} Baldwin, B.S. and Lomax, H., "Thin-Layer Approximation and Algebraic Model for Separated Turbulent Flows," AIAA Paper No. 78-257, 1978.

the cut. A symmetry boundary condition is imposed on the centerline of the wake region with first order extrapolation for density and pressure. Free stream conditions are imposed on the outer boundary while extrapolated values of the variables are used at the downstream boundary.

For the base bleed case, boundary conditions along the base where gas is injected need to be modified. Here, a small amount of mass is injected into the near wake behind the center part of the base. The amount of gas injection is usually defined in terms of a mass injection parameter,

$$I = \frac{m_j}{\rho_{\infty} u_{\infty} A_h}$$

where $\mathring{\textbf{m}}_j$ is the mass flow at the bleed exit and \textbf{A}_b is the area at the base. At the bleed exit, the flow is subsonic and three quantities need to be specified. Total temperature is used at the exit along with an extrapolated value of static pressure. The static pressure at the exit is set equal to local pressure which is a characteristic of subsonic flows. Such extrapolated static pressure boundary conditions have been used in other numerical computations. In addition, the value of total pressure at the exit is needed to define all the boundary conditions. This is determined iteratively to satisfy the required mass injection parameter in the following manner. Knowing the total temperature (To_i) and mass injection parameter (I),

- (a) assume total pressure, Po_{j}
- (b) obtain P_j by extrapolation
- (c) calculate Mach number, M_j using $Po_j/P_j = (1 + .2M_j^2)^{3.5}$
- (d) compute f_j using $To_j/T_j = 1 + .2M_j^2$
- (e) obtain the velocity $u_j = M_j$ $a_j = M_j$ $\sqrt{\gamma RT_j}$
- (f) obtain the density ρ_j from the equation state, $P_j = \rho_j RT_j$
- (g) compute $I = \rho_i u_i A_i / \rho_{\infty} u_{\infty} A_b$

^{14.} Shrewsbury, G.D., "Analysis of Circulation Control Airfoils Using an Implicit Navier-Stokes Solver," AIAA Paper NO. 85-0171, January 1985.

^{15.} Drummond, J.P., "Numerical Study of a Ramjet Dump Combustor Flow Field," AIAA Paper No. 83-0421, January 1983.

If the value of this I is not the desired value, then we go back to step (a) and continue the iteration process. This iteration procedure is repeated at each time step. The total pressure and the total temperature are assumed to be constant across the bleed exit.

IV. RESULTS

Computations of the flow field for two cylindrical afterbodies with base bleed have been made at supersonic speed and at zero angle of attack. The first set of computed results correspond in part to the experimental investigation on the base bleed effect by Schilling⁴ whereas the second set of results are compared to the experimental measurements by Bowman et al² at the Royal Armament and Development Establishment (RARDE), England.

The experimental investigation by Schilling⁴ was conducted at the Trisonic Wind Tunnel at the Deutsche Forschungs- und Versuchsanstalt für Luft- und Raumfahrt e. V. Köln (DFVLR) in West Germany for a missile configuration. A computational grid for this case showing the cylindrical afterbody region is shown in Figure 3. The full grid consisted of 156 points in the streamwise direction and 60 points in the normal direction. The grid has been adapted to the free shear layer as the solutions developed. The same grid was used for calculations with and without base bleed. The minimum grid spacing near the wall and in the free shear layer is .00002 caliber. Numerical computations were made at $M_{\infty} = 1.7$ and 2.5 at zero angle of attack.

Figure 4 shows the velocity vectors in the base region for the case of no gas injection whereas Figures 5 and 6 show the velocity vectors in the base region with gas injection for $M_{\infty} = 2.5$. In Figure 4, the recirculatory flow field in the near wake is clearly evident. The flow expands at the base and the reattachment point is about .75 caliber downstream of the base. The effect of gas injection at the base is shown in Figures 5 and 6 for mass injection rates I = .01 and .02, respectively. As shown in Figure 5 for I = .01, the separation bubble (for the no bleed case) has been displaced downstream and the size of the separation bubble has also been reduced. The flow field in the near wake has changed considerably. There are two stagnation points, $X/D \approx 15$ and the other at $X/D \approx 15.4$. This is a typical flow field pattern with base bleed at a low injection rate. As I is increased to .02. more mass is injected into the near wake and strongly affects the base region As seen in Figure 6, the separation bubble that was displaced downstream somewhat at I = .01 has now been eliminated and the beginning of a small separation region near the base is seen. For this injection rate, the Mach number at the bleed exit approaches sonic value. Increasing the mass injection rate furth∈r gives Mach number unity at the bleed exit and results in the separation region in the near wake which resembles that of a jet effect.

Figure 7 shows the pressure distribution as a function of the longitudinal position over the cylindrical afterbody and along the upper shear layer in the wake region. The strong expansion at the base corner and the recompression waves downstream of the base corner are clearly seen for the zero base bleed case (I = 0). The pressure distribution for the base bleed case is presented in this figure for I = .01 and I = .02. As I increased to .01 from

zero, the expansions at the base and the recompression downstream of the base are both weakened. Increasing I further has the effect of weakening the waves even more.

The effect of mass injection on the base pressure and hence on base drag is of primary interest. Figure 8 shows the base drag as a function of the mass injection parameter for M_{∞} = 1.7 and α = 0. I = 0 corresponds to the case of no base bleed. As I is increased, the base pressure increases in this case and thus, base drag is reduced. This is true for both I = .01 and I = .02. The computed base drag is compared to the experimental data and as can be seen, the computed results are overpredicted by about 15%. The trend of base drag reduction seen experimentally however, has been clearly predicted by the Additionally, the Mach number at the bleed exit is less than computation. unity for all the mass injection rates considered here. The results for M_{∞} = 2.5 is shown in Figure 9. Here the computed base drag is compared to experiment and excellent agreement is obtained for the zero bleed condition (I = 0). As the mass flow rate is increased to .01, base pressure increases and base drag is reduced. Comparison between the computation and the experiment again indicates 10--15% disagreement. The Mach number at the bleed exit (M $_{
m i}$) is approaching unity. As I is increased further to .02, M_{j} has reached the sonic condition and stays sonic as I is increased further. Here the trend reverses and a small increase in base drag is found. For I = .025, the computed base drag is in good agreement with the experiment.

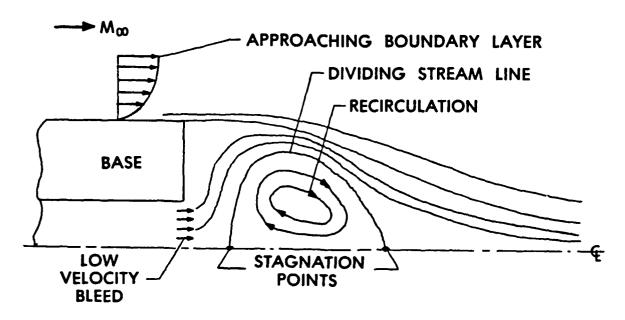
Supersonic flow for another cylindrical afterbody with base bleed has been computed. Experimental measurements for this case have been made by Bowman et al 2 at RARDE, England. The model configuration was a projectile consisting of a two caliber ogive nose and a five caliber cylindrical afterbody. The bleed exit diameter was equal to 0.4 base diameter. Computations for this case have been made at two supersonic speeds. $M_{\infty}=1.88$ and $M_{\infty}=2.48$ at zero angle of attack. The computational grid used in this case for $M_{\infty}=1.88$ is shown in Figure 10. The grid is adapted to the free shear layer in the wake and clustering of grid points is made near the base bleed exit. The number of grid points in the streamwise direction is 130 and 40 points are used in the normal direction. The qualitative results obtained in the base region with base bleed are similar to that discussed earlier. The effect of gas injection on the base pressure is discussed next.

Figures 11 and 12 show the ratio of base pressure to free stream static pressure as a function of the mass injection parameter, I for $\rm M_{\infty}=1.88$ and 2.48, respectively. As shown in Figure 11 for $\rm M_{\infty}=1.88$, base pressure increases as I is increased from zero. The agreement between the computed result and the experiment is very good. As I = .02 is approached, the base pressure ceases to rise according to the experimental data. Figure 12 shows the base pressure with and without base bleed between the computation and the experiment. As I is increased from zero to .01, both experiment and the computation show an increase in the base pressure and reasonably good agreement is obtained. Further increase in I clearly shows a large decrease in the base pressure as is seen in the experimental data. The computation doesn't show that much of a decrease in the base pressure although the trend is in

agreement with the experimental data. Also, the flow was assumed to be subsonic at the bleed exit in the computation; however, it is not clear what the exit condition was in the experiment. The comparison of the results for this case must be viewed in that light.

V. CONCLUDING REMARKS

A computational study has been made for base region flow over two cylindrical afterbodies with base bleed at supersonic speeds. An iterative boundary condition procedure was developed for the base bleed effect and was used to show the effect of base bleed on base pressure or base drag. The thinlayer form of the compressible Navier-Stokes equations was solved using a time-dependent implicit numerical algorithm. Numerical results show the qualitative effect of the mass injection on the near wake flow field. expansions at the base and the recompression downstream of the base are weakened by the gas injection. For low supersonic Mach number \approx 1.75, base pressure rises smoothly as injected mass flow rate is increased. higher Mach number = 2.5, increase in base pressure or decrease in base drag is obtained at lower mass flow rates (I \approx .01). Further computational investigation is needed to include the effect of hot gas injection at the base. Future work will be directed towards obtaining a predictive capability to compute projectile base region flow with combustion for practical applications.



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Figure 1. Schematic Illustration of Base Flow with Base Bleed

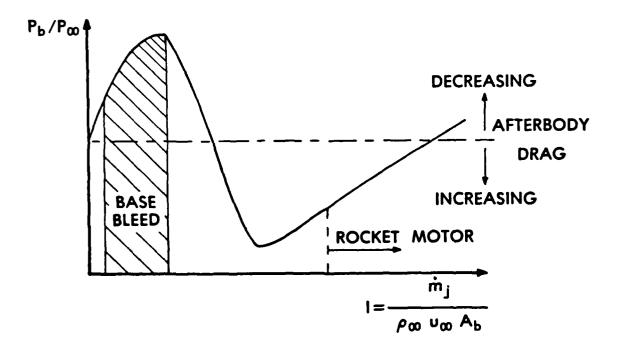


Figure 2. Base Pressure vs Mass Flow Rate of Injection

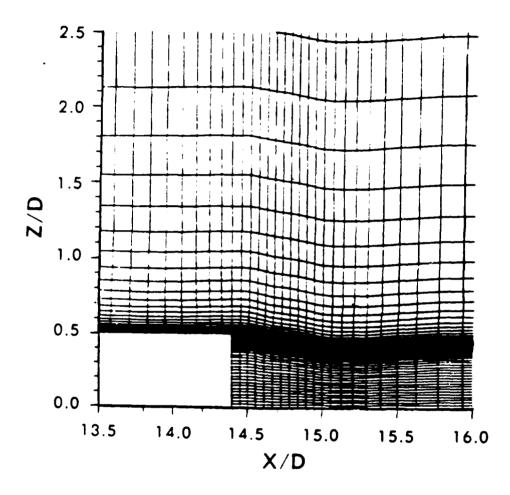


Figure 3. Adapted Grid in the Base Region, M_{∞} = 2.5

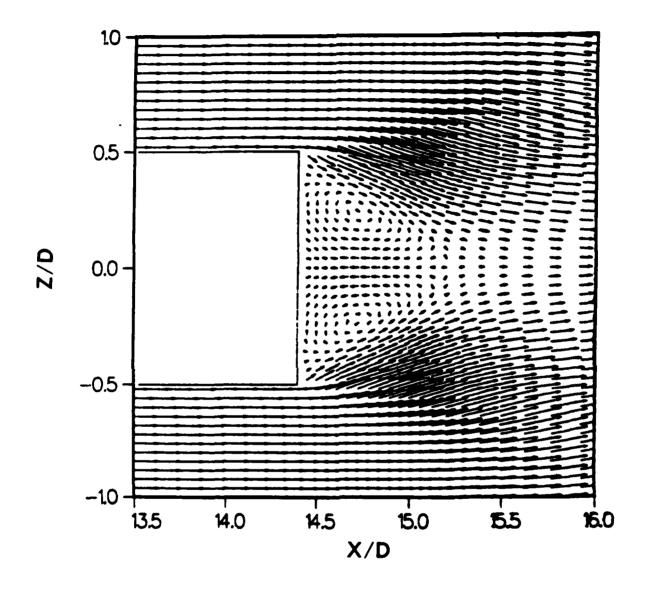


Figure 4. Velocity Vectors in the Base Region $M_{\infty} = 2.5$, $\alpha = D_{\bullet} I = 0$

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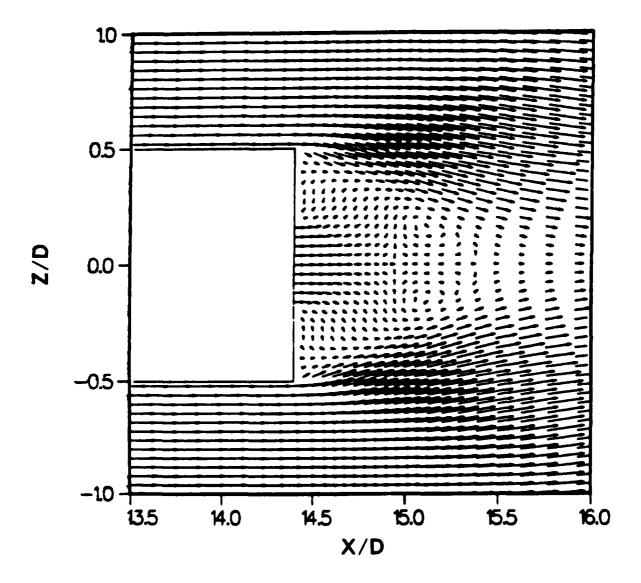


Figure 5. Velocity Vectors in the Base Region $M_{\infty} = 2.5$, $\alpha = 0$, I = .01

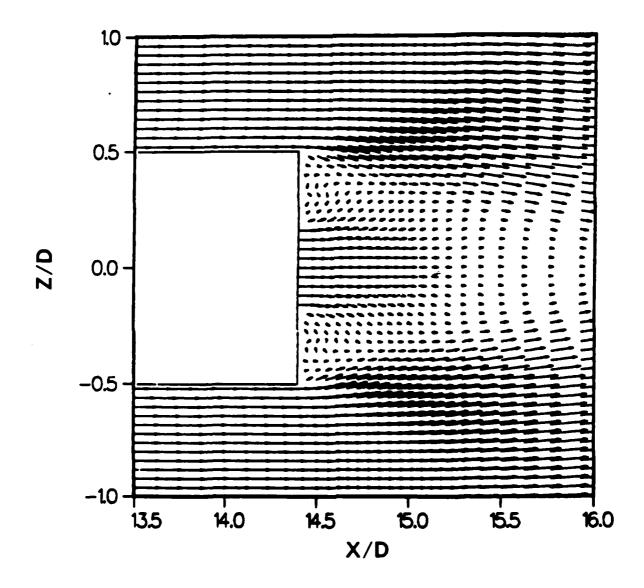


Figure 6. Velocity Vectors in the Base Region $M_{\infty} = 2.5$, $\alpha = 0$, I = .02

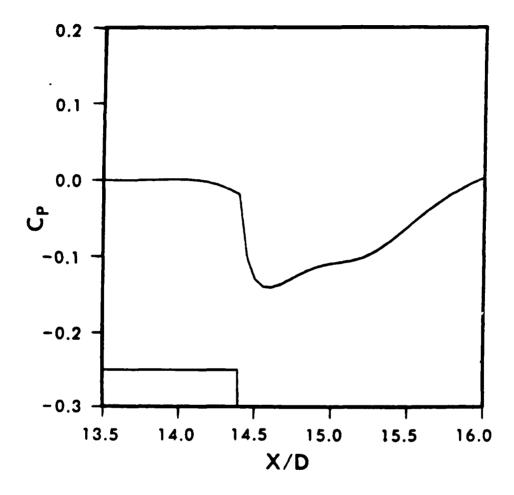


Figure 7a. Longitudinal Pressure Distribution, M_{∞} = 2.5, α = 0, I = 0

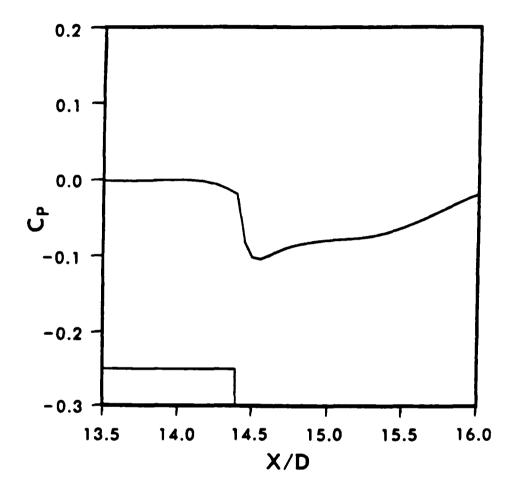


Figure 7b. Longitudinal Pressure Distribution, $M_{\infty} = 2.5$, $\alpha = 0$, I = .01

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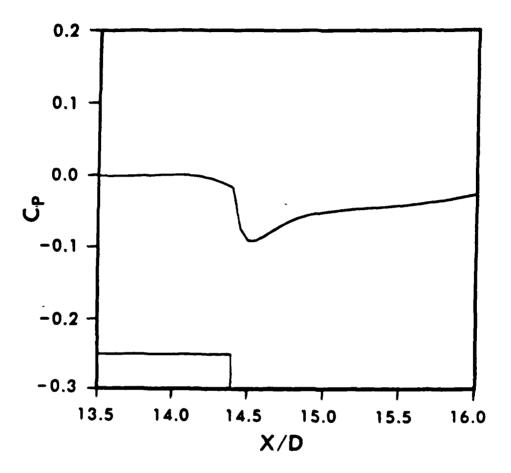


Figure 7c. Longitudinal Pressure Distribution, M_{∞} = 2.5, α = 0, I = .02

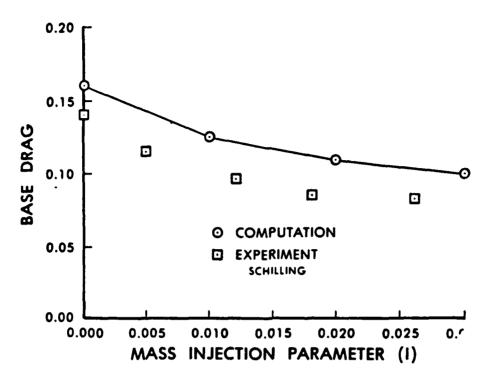


Figure 8. Base Drag vs Mass Injection Parameter, M_{∞} = 1.7, α = 0

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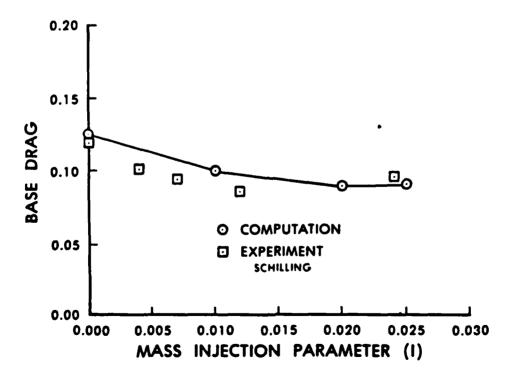


Figure 9. Base Drag vs Mass Injection Parameter M_{∞} = 2.5, α = 0

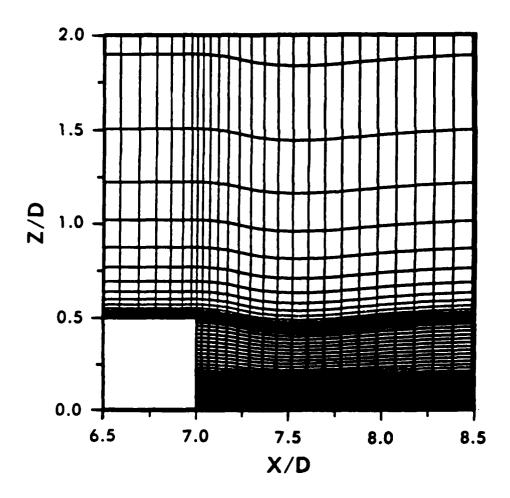


Figure 10. Adapted Grid in the Base Region for RARDE Case, M_{∞} = 1.88, α = 0

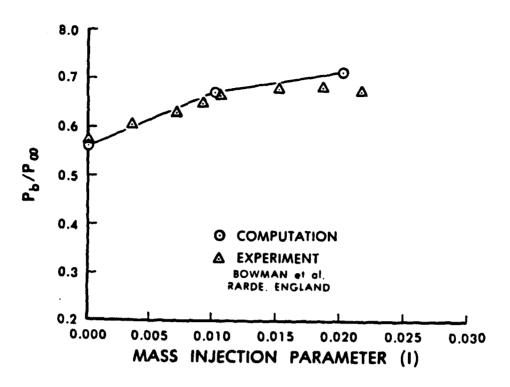


Figure 11. Base Pressure vs Mass Injection Parameter, $M_{\infty} = 1.88$, $\alpha = 0$

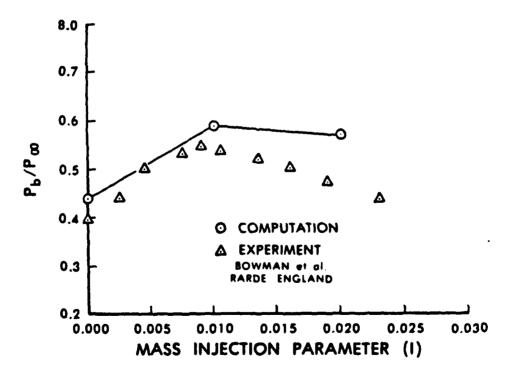


Figure 12. Base Pressure vs Mass Injection Parameter, M_{∞} = 2.48, α = 0

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